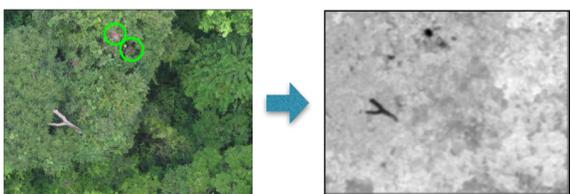
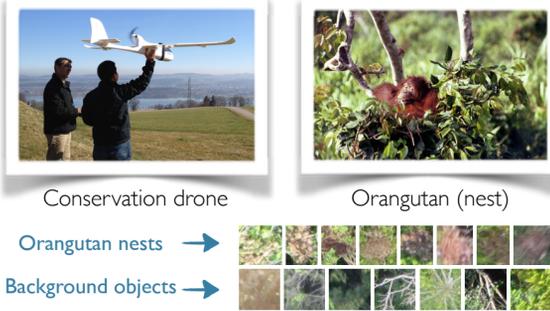


Active Detection for Biodiversity Monitoring via Adaptive Submodularity

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TASK: Object detection



Orangutan nests detection for biodiversity monitoring

Including Human in the Loop?

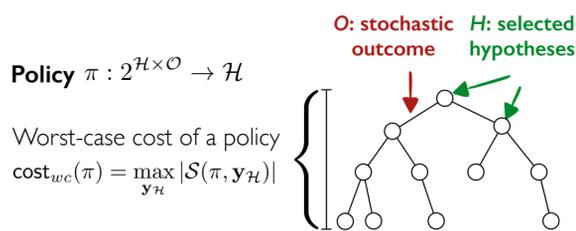
- ✓ Automatic systems are inaccurate.
- ✓ Human labeling is tedious/expensive.
- ✓ How to make the best of both?

Active Detection as a Seq. Decision Problem

Hypotheses (Obj. at certain location) $\mathcal{H} = \{h_1, \dots, h_n\}$

Outcome is RV: $\mathbf{Y}_{\mathcal{H}} = [Y_1, \dots, Y_n] \in \mathcal{O}$ from $\mathbb{P}[\mathbf{Y}_{\mathcal{H}}]$

Hypothesis-outcome pairs $\mathbf{y}_{\mathcal{A}}$, or $\mathcal{S}(\pi, \mathbf{y}_{\mathcal{H}}) \in \mathcal{H} \times \mathcal{O}$

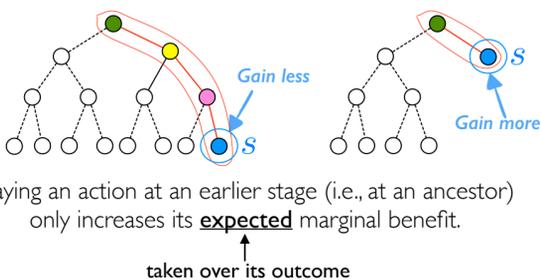


Objective function $f: 2^{\mathcal{H} \times \mathcal{O}} \rightarrow \mathbb{R}_{\geq 0}$

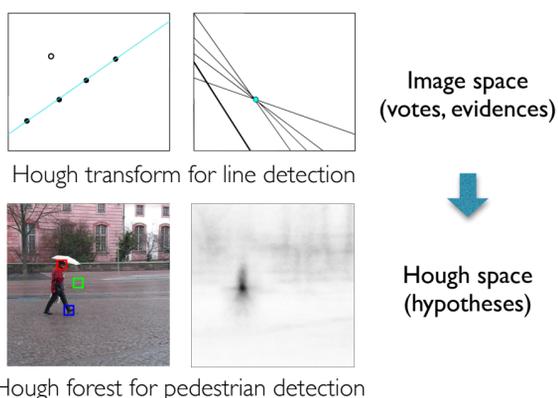
The Min-cost Cover Problem

$$\min_{\pi \in \Pi} \text{cost}(\pi), \text{ s.t. } f(\mathcal{S}(\pi, \mathbf{y}_{\mathcal{H}})) \geq Q \text{ for all } \mathbf{y}_{\mathcal{H}} \text{ with } P(\mathbf{y}_{\mathcal{H}}) > 0.$$

Adaptive Submodularity



Hough-transform Based Detector



The Active Detection Framework

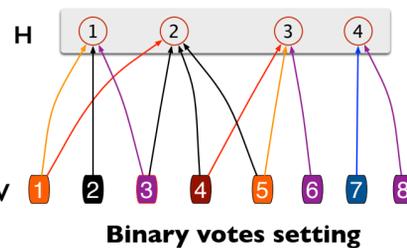
Voting elements $\mathcal{V} = \{v_1, \dots, v_m\}$ Hypotheses $\mathcal{H} = \{h_1, \dots, h_n\}$
 Interactions between voting elements and hypotheses: $\mathcal{G} = (\mathcal{V}, \mathcal{H}, \mathcal{E})$

Positive coverage:

Votes can be fully explained /covered by a true hypotheses.

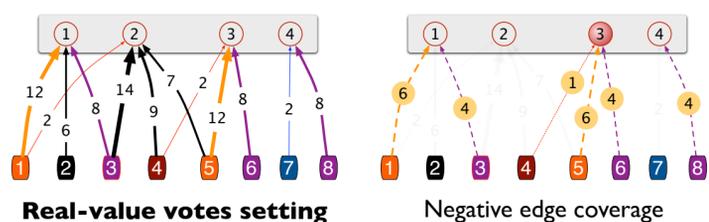
Negative coverage:

Votes that are similar with false votes should be discounted.



$$f_{v,h}^{(1)}(\mathbf{y}_{\mathcal{A}}) = \max \begin{cases} 1, & \text{if } \exists h' : (h', +) \in \mathbf{y}_{\mathcal{A}} \wedge (v, h') \in \mathcal{E}; \\ g(v, h, \mathbf{y}_{\mathcal{A}}), & \text{otherwise.} \end{cases}$$

Coverage for edge (v,h) Discounted (negative) coverage for (v,h):
 E.g., $g = 1 - 0.5^{(\#\text{similar false votes})}$



$$f_{v,h}(\mathbf{y}_{\mathcal{A}}) = \underbrace{g(v, h, \mathbf{y}_{\mathcal{A}})}_1 \cdot w_{vh} \quad \text{weight for edge (v,h)}$$

$$+ \min \left\{ \underbrace{\max_{h': (h', +) \in \mathbf{y}_{\mathcal{A}}} w_{vh'}}_2, (1 - g(v, h, \mathbf{y}_{\mathcal{A}})) \cdot w_{vh} \right\}$$

1. weight covered due to negative observations 2. remaining weight (i.e., after negative discount) covered due positive observations

The Objective Function

$$F(\mathbf{y}_{\mathcal{A}}) = \sum_{(v,h) \in \mathcal{E}} f_{v,h}(\mathbf{y}_{\mathcal{A}})$$

Conditional Marginal Benefit of a hypotheses / detection h

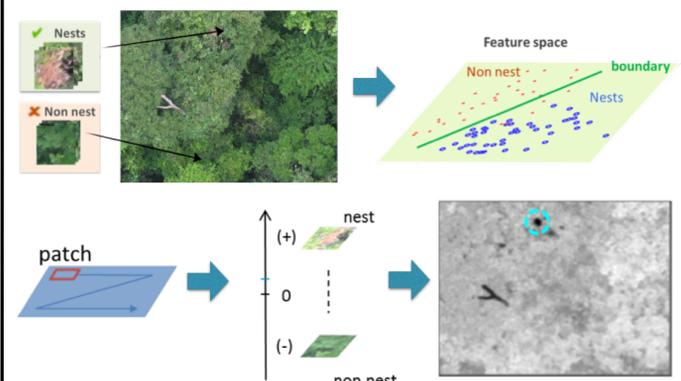
$$\Delta_F(h | \mathbf{y}_{\mathcal{A}}) = \mathbb{E}_{\mathbf{y}_{\mathcal{H}}} [F(\mathbf{y}_{\mathcal{A}} \cup \{(h, y_h)\}) - F(\mathbf{y}_{\mathcal{A}}) | \mathbf{y}_{\mathcal{A}}].$$

Expectation over all realizations The utility of a specific realization Conditioning on previous observations

F is **adaptive submodular** w.r.t. factorial prior $P(Y_1, \dots, Y_n)$.

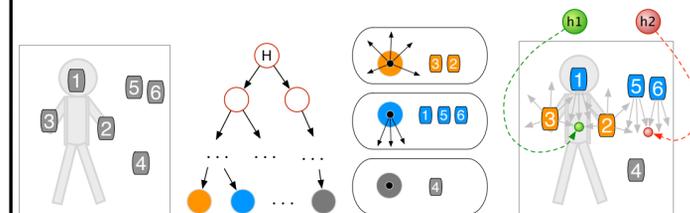
THM. Fix $Q > 0$ and $\beta > 0$. Let $C_{\text{greedy}}(\Pi)$ be the worst-case cost of the greedy algorithm, using a factorial prior P on variables Y_1, \dots, Y_n , until it achieves expected value $Q - \beta$. Let OPT_{wc} be the worst-case cost of the optimal algorithm. It holds that:
 $C_{\text{greedy}} \leq \text{OPT}_{wc} (\ln(Q/\beta) + 1)$. Moreover, $P(F(\mathbf{y}_{\mathcal{A}}) \geq Q) \geq 1 - \beta$.

Activizing the Base Detector



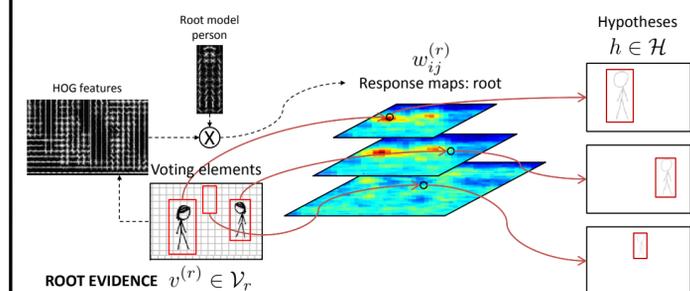
Orangutan nest detection (UAV-Forest)

Activizing Hough Forest



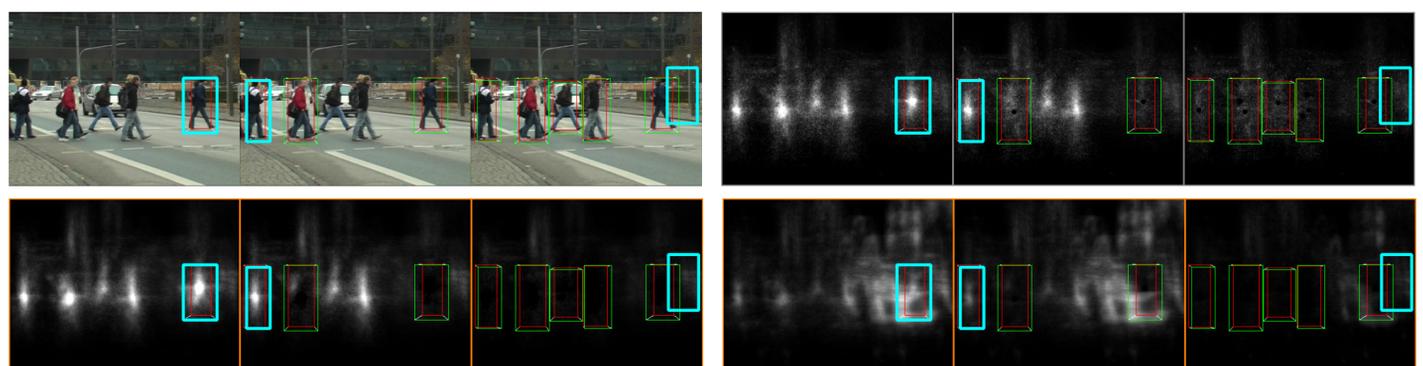
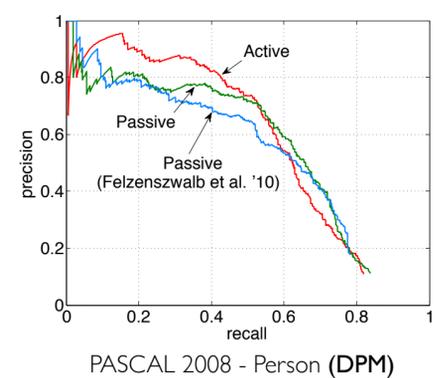
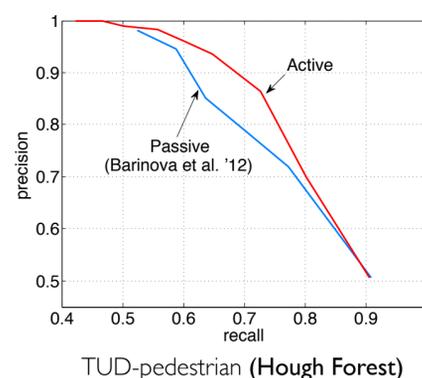
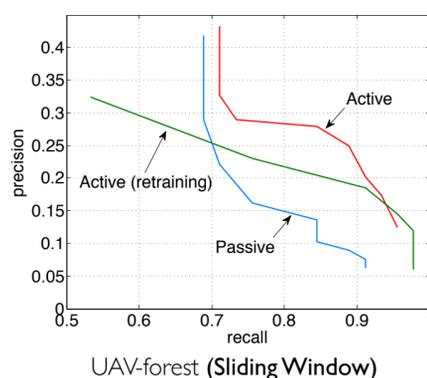
Hough Forest as a base detector

Activizing the Deformable Parts Model



Deformable Parts Model (DPM) as a base detector

Experimental Results



(Upper left) Input image; (Upper right) Response image; (Lower left) Positive coverage; (Lower right) Negative coverage.
 Cyan box: current detection; Red boxes: ground-truth labels of pedestrians; Green boxes: detections made by the active detector.